

Final LAB Exam duration: 2hrs 45mins.

On Saturday, 7th Nov @ 2 PM

B1-6 (Mon/Tue Lab Batch).

Report at **New Core Labs** before 2pm.

On Sunday, 8th Nov @ 10 AM

B7-12 (Wed/Thu Lab Batch).

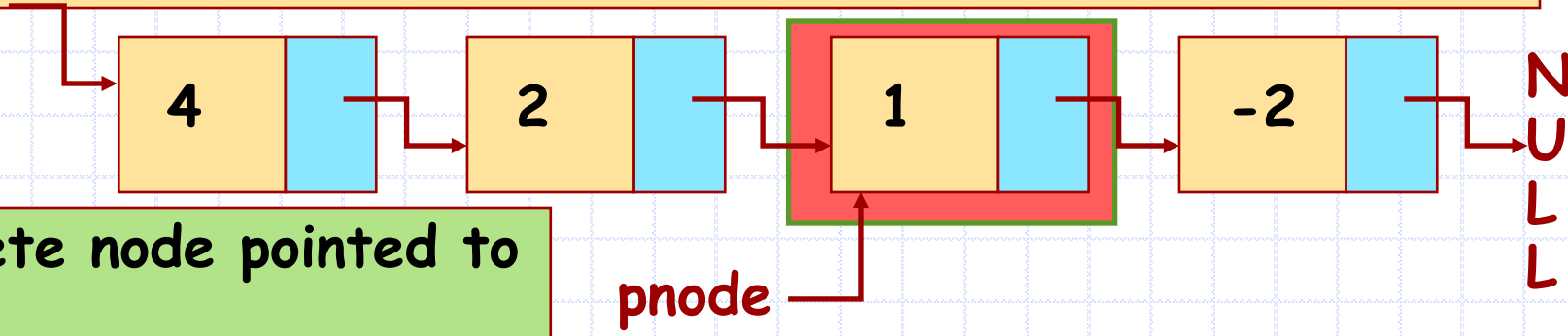
PH Category (all sections).

Report at **New Core Labs** before 10am.

Syllabus: Everything covered till Friday, 6th Nov.

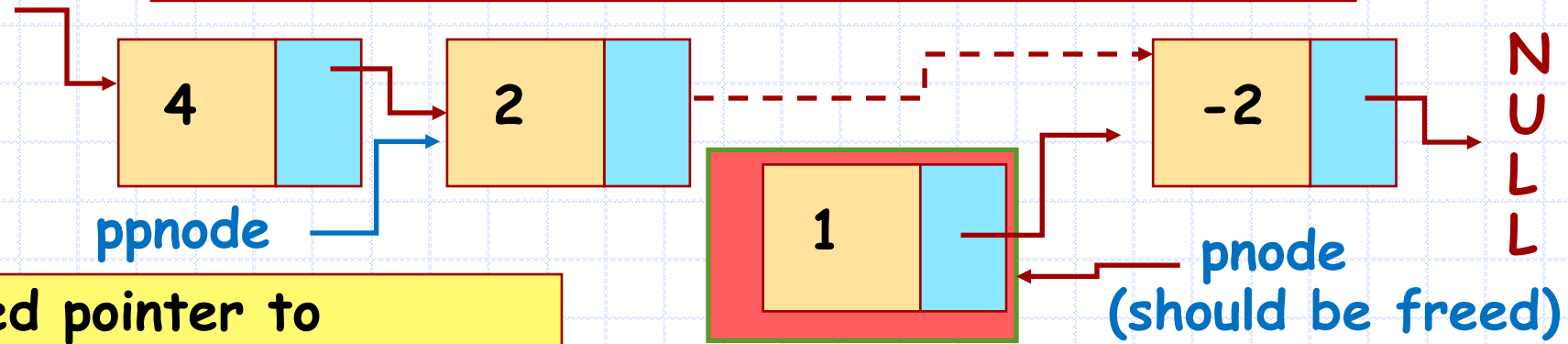
Deletion in linked list

Given a pointer to a node `pnode` that has to be deleted. Can we delete the node?



E.g, delete node pointed to by `pnode`

After deletion, we want the following state



Need pointer to previous node to `pnode` to adjust pointers.

call `free()` to release storage for deleted node.

`delete(Listnode pnode, Listnode pppnode)`

prototype

```

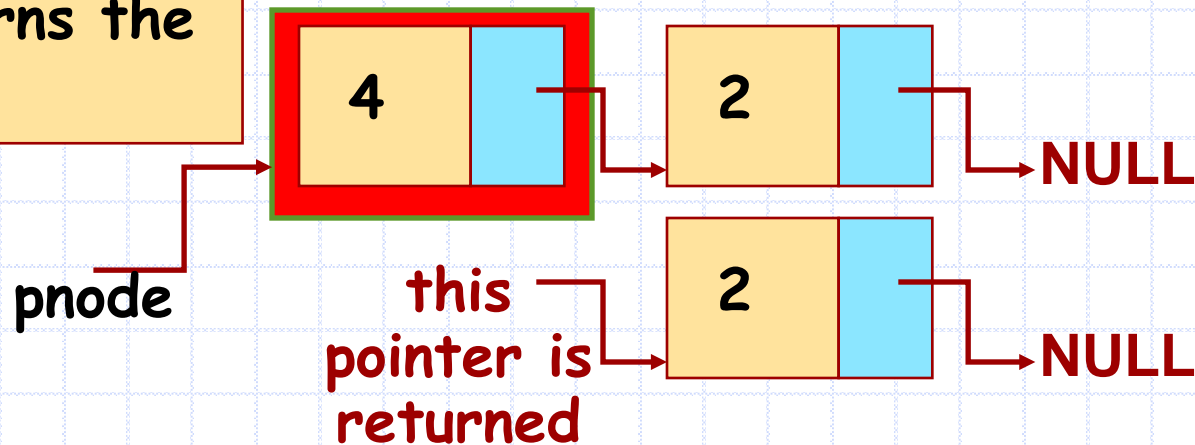
Listnode delete(Listnode pnode, Listnode pppnode)
{
    Listnode t;
    if (pppnode)
        pppnode->next = pnode->next;
    t = pppnode ? pppnode : pnode->next;
    free (pnode);
    return t;
}

```

Delete the node pointed to by pnode. pppnode is pointer to the node previous to pnode in the list, if such a node exists, otherwise it is NULL.

Function returns pppnode if it is non-null, else returns the successor of pnode.

The case when pnode is the head of a list. Then pppnode == NULL.



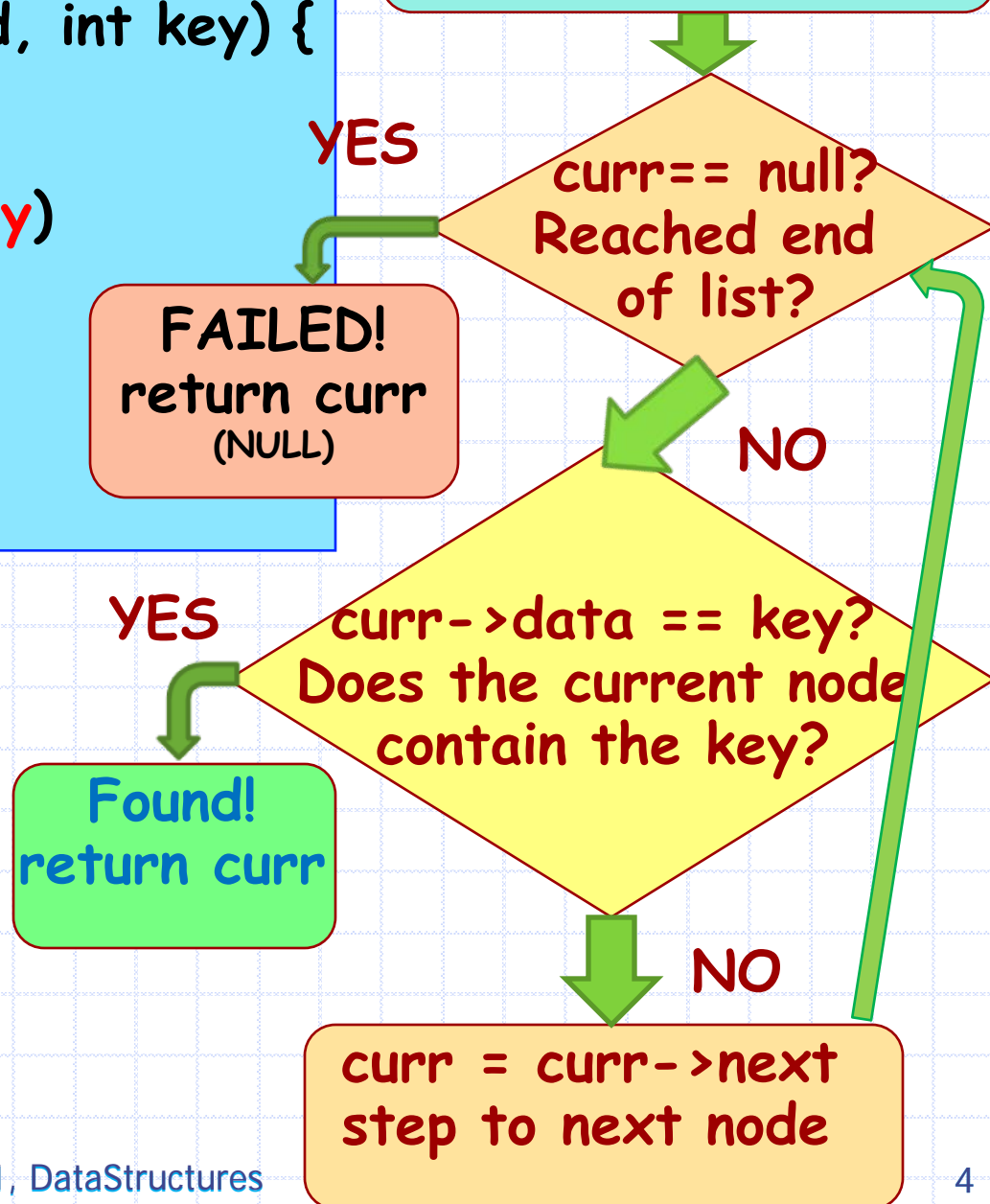
Searching in LL

```
Listnode search(Listnode head, int key) {  
    Listnode curr = head;  
    while  
        (curr && curr->data != key)  
        curr = curr->next;  
  
    return curr;  
}
```

search for key in a list pointed to by head. Return pointer to the node found or else return NULL.

Disadvantage:
Sequential access only.

curr = head
start at head of list



Why linked lists

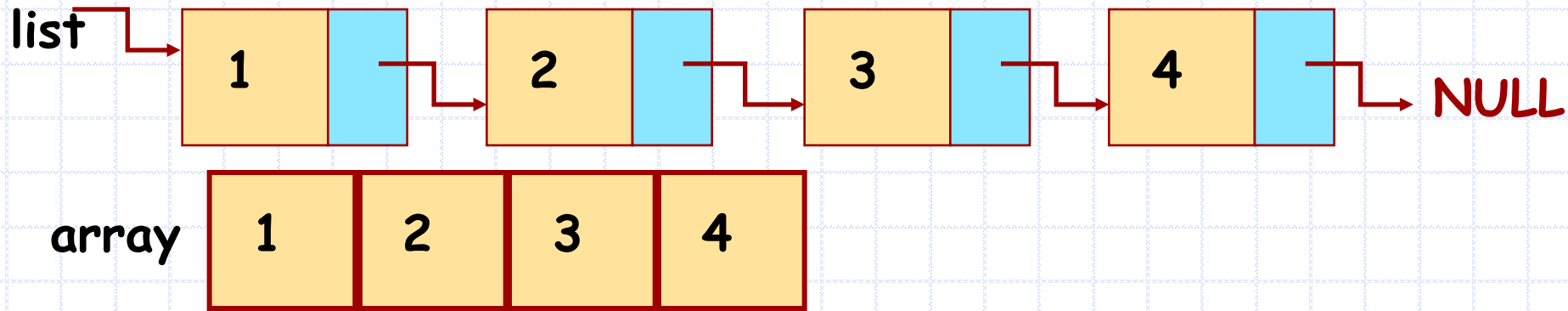
➤ The same numbers can be represented in an array. So, where is the advantage?

1. Insertion and deletion are inexpensive, only a few "pointer changes".
2. To insert an element at position k in array: create space in position k by shifting elements in positions k or higher one to the right.
3. To delete element in position k in array: compact array by shifting elements in positions k or higher one to the left.

Disadvantages of Linked List

➤ Direct access to k th position in a list is expensive (time proportional to k) but is fast in arrays (constant time).

Linked Lists: the pros and the cons



| Operation | Singly Linked List | Arrays |
|---|---|--|
| Arbitrary Searching. | sequential search (linear-time) | sequential search (linear-time) |
| Sorted structure. | Still sequential search. Cannot take advantage. | Binary search possible (logarithmic-time) |
| Insert key after a given point in structure. | Very quick (constant-time) | Shift all array elements at insertion index and later one position to right. Make room, then insert. (linear-time) |

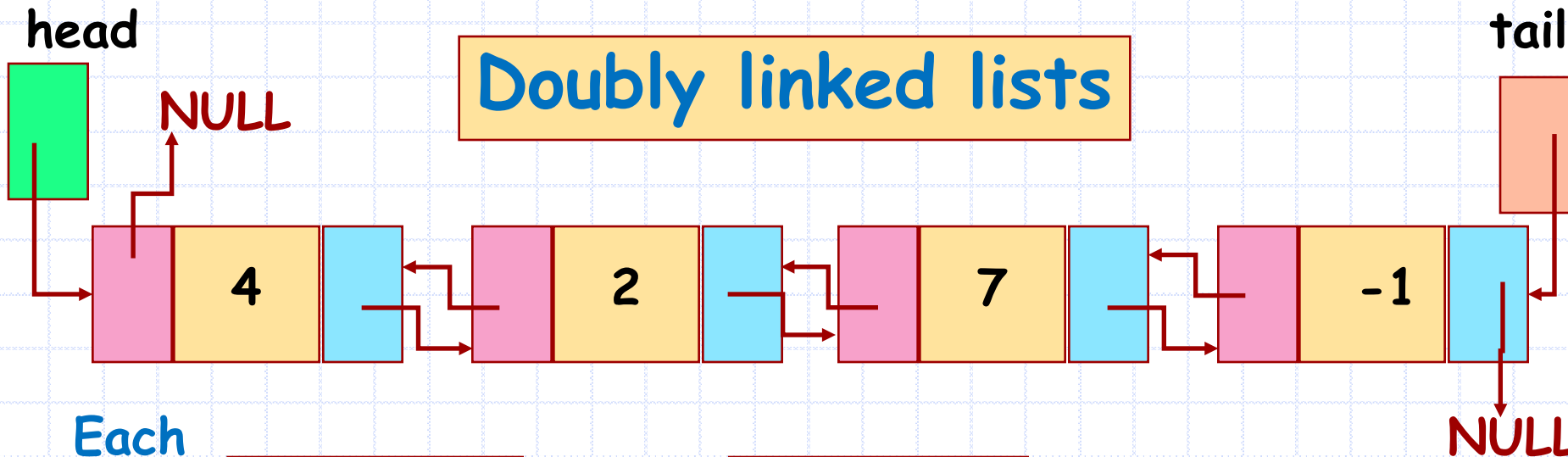
Singly Linked Lists

Operations on a linked list. For each operation, we are given a pointer to a current node in the list.

| Operation | Singly Linked List |
|----------------------|---|
| Find next node | Follow next field |
| Find previous node | Can't do !! |
| Insert before a node | Can't do !! |
| Insert in front | Easy, since there is a pointer to head. |

Principal Inadequacy: Navigation is one-way only from a node to the next node.

Doubly linked lists



Each node has 3 fields

(i) pointer to previous node

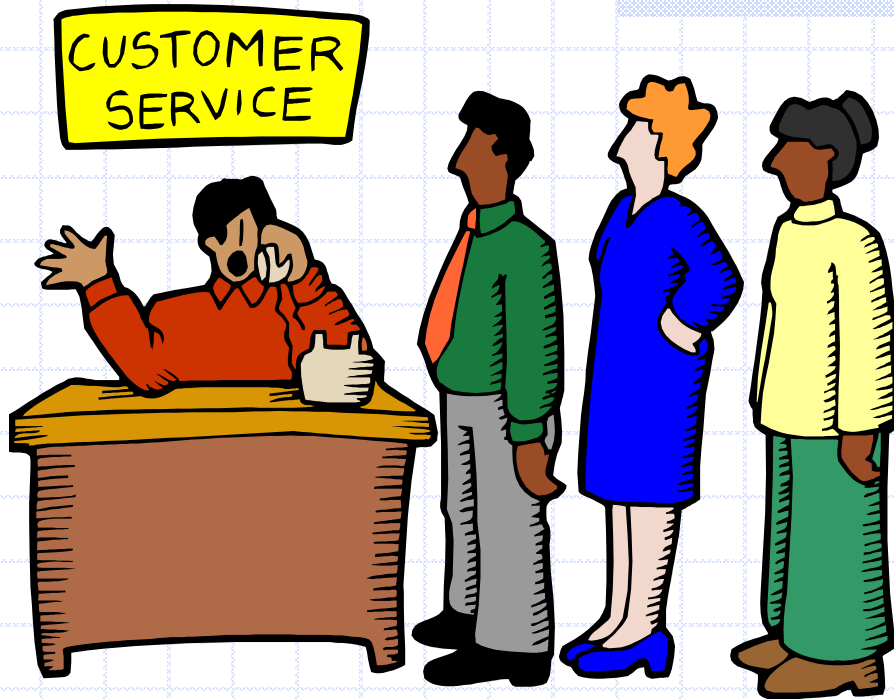
(ii) data

(iii) pointer to next node

Defining *node* of Doubly linked list and the *Dlist* itself.

```
struct dlnode {
    int data;
    struct dlnode *next;
    struct dlnode *prev;
};
typedef struct dlnode *Ndptr;
```

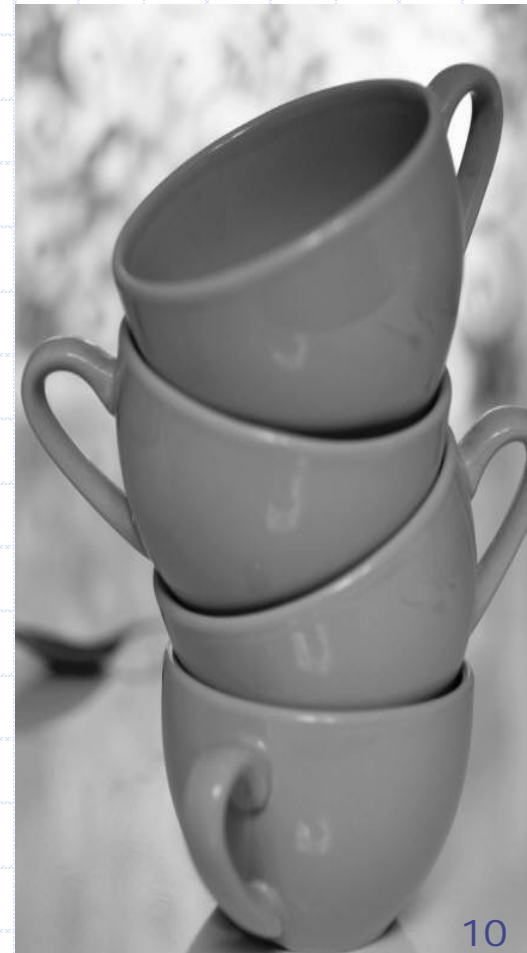
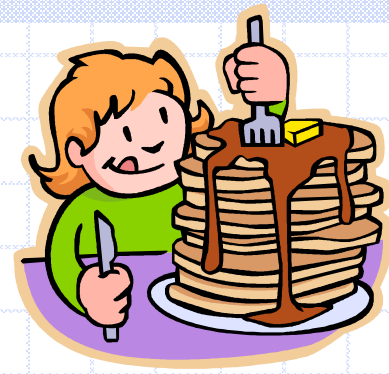
```
struct dList {
    Ndptr head; /* first node */
    Ndptr tail; /* last node */
};
typedef struct dList *DLlist;
```

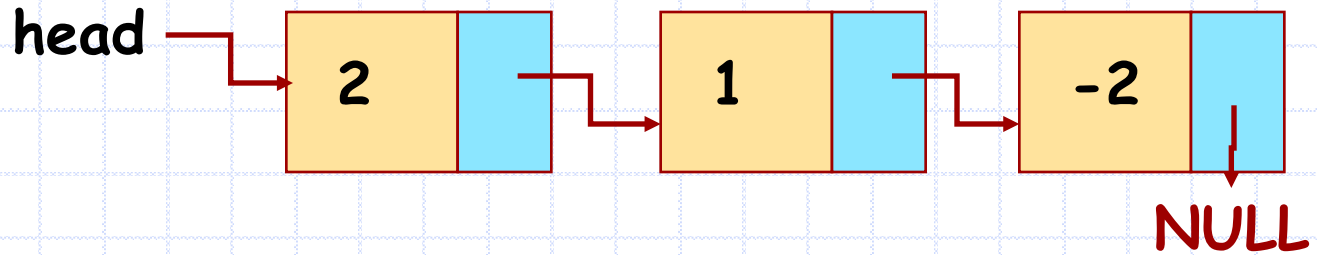
Data structures, Stack and Queue, can also be implemented using Linked Lists!

Stack

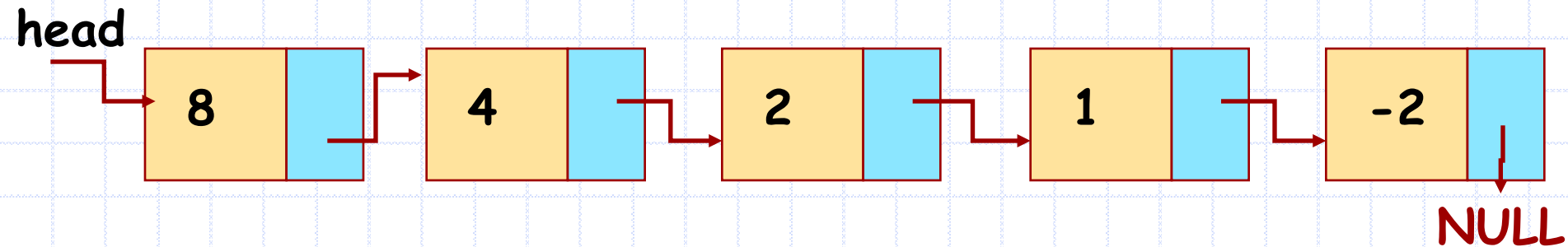
- ◆ A linear data structure where addition and deletion of elements can happen at one end of the data structure only.
 - Last-in-first-out.
 - Only the top most element is accessible at any point of time.
- ◆ Operations:
 - **Push**: Add an element to the top of the stack.
 - **Pop**: Remove the topmost element.
 - **IsEmpty**: Checks whether the stack is empty or not.



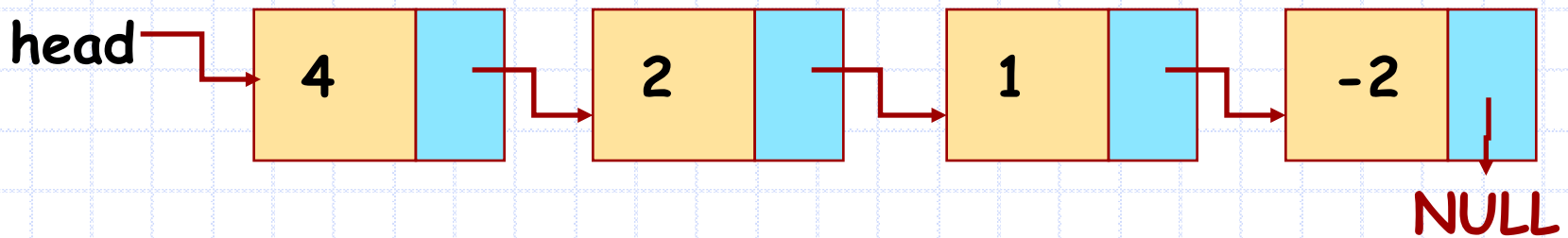
STACK



Push 4,8 in stack: `insert_front(4, head);`
`insert_front(8, head);`



Pop from stack: `val = head->data;`
`delete(head, NULL);`



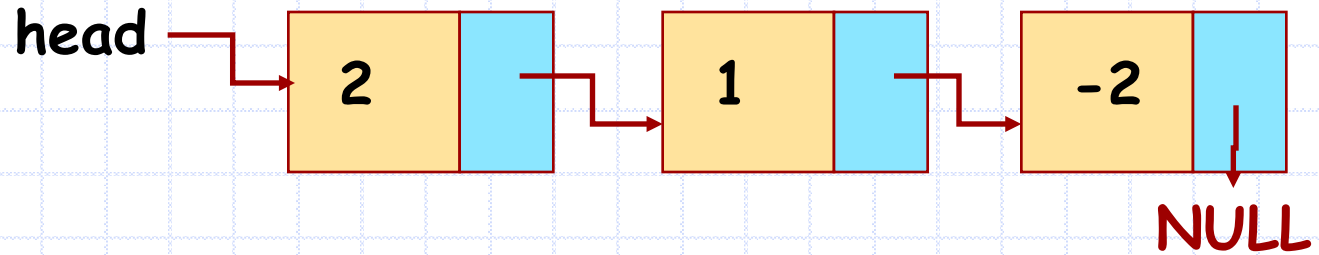
isEmpty function: `return !head ;`

Queue

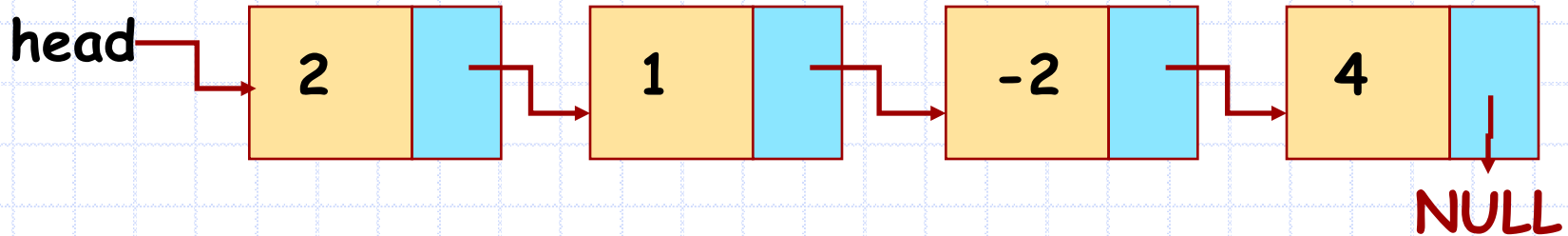
- ◆ A linear data structure where addition happens at one end ('back') and deletion happens at the other end ('front')
 - First-in-first-out
 - Only the element at the front of the queue is accessible at any point of time
- ◆ Operations:
 - **Enqueue**: Add element to the back
 - **Dequeue**: Remove element from the front
 - **IsEmpty**: Checks whether the queue is empty or not.



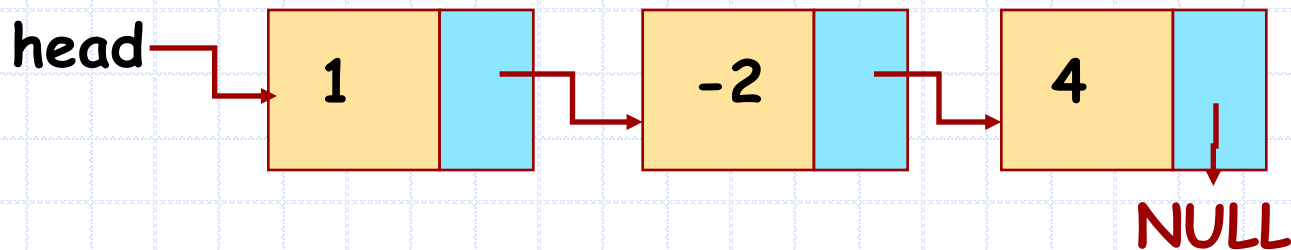
QUEUE



Enqueue 4: `//make a node pnew with data=4
insert_after_node(tail, pnew);`



Dequeue: `val = head->data;
delete(head, NULL);`



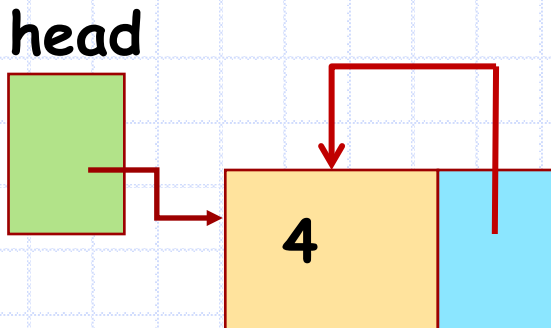
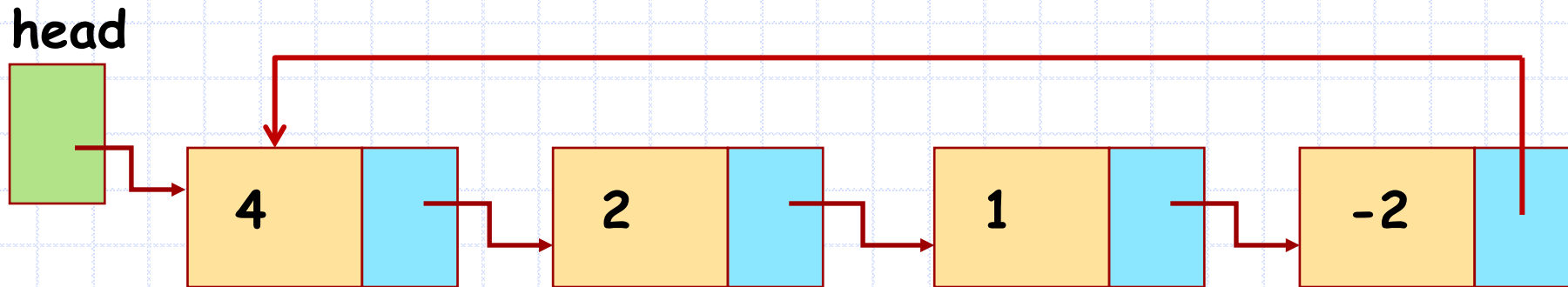
isEmpty function: `return !head ;`

Circular Linked List

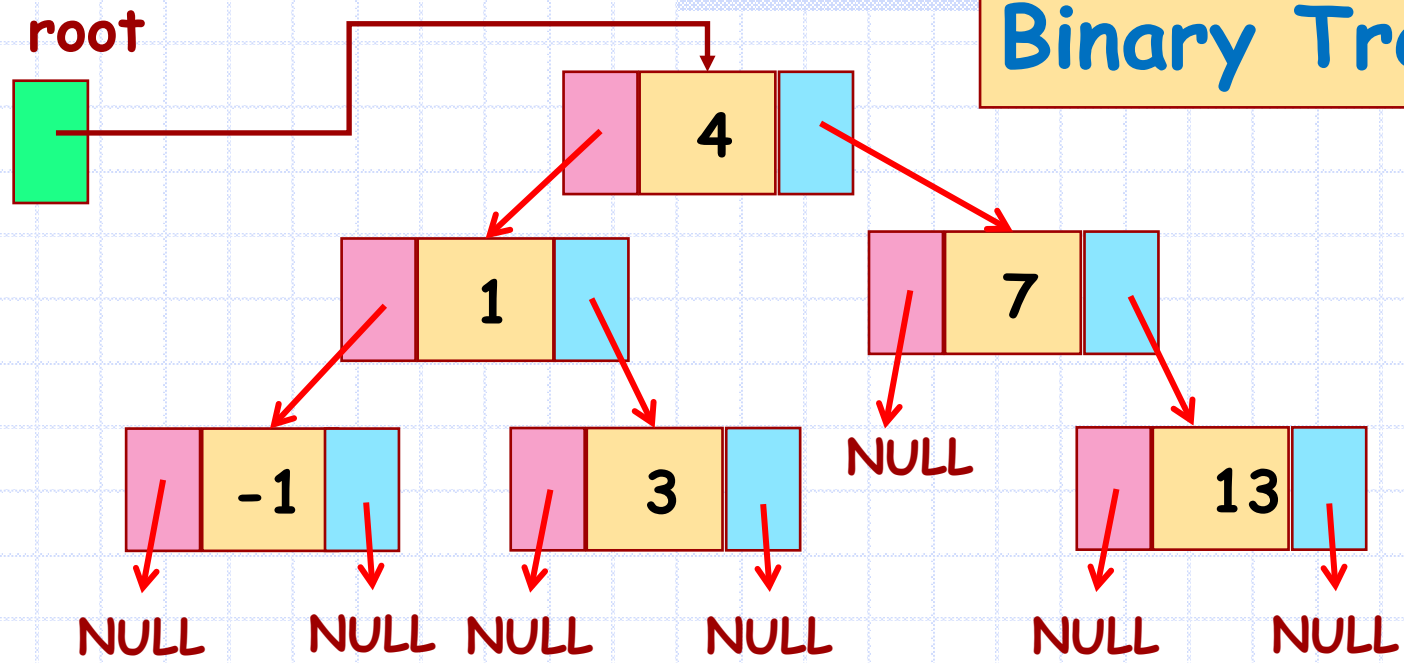


So far, we were modeling a singly linked list by a pointer to the first node of the list.
Let us make the following change:

Make the list circular: next pointer of last node is not **NULL**, it points to the head node.



Binary Tree



Each node has 3 fields

| | | |
|--------------------------------|-----------|-----------------------------------|
| (i) pointer to left child node | (ii) data | (iii) pointer to right child node |
|--------------------------------|-----------|-----------------------------------|

Defining Binary Tree

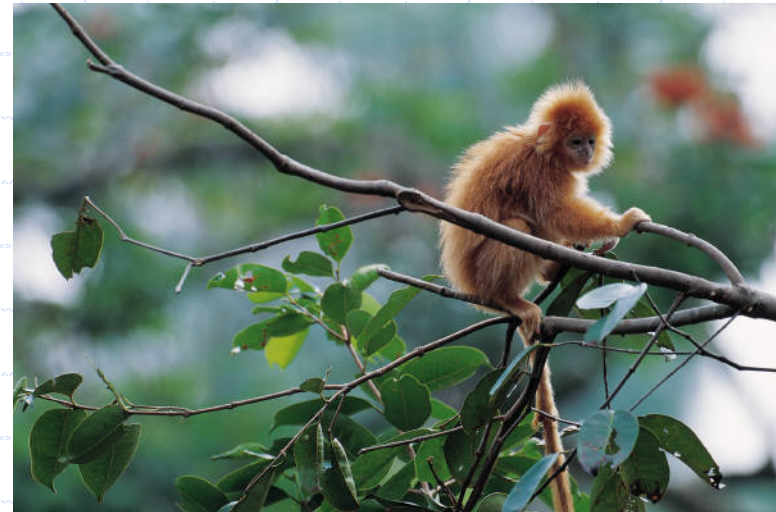
Btree root;

```

typedef struct _bnode *Btree;
struct _bnode {
    int data;
    Btree left;
    Btree right;
};
  
```


Traversing a Binary Tree

- ◆ Visit each node in the binary tree exactly once
- ◆ Easy to traverse recursively
- ◆ Three common ways of visit
 - **inorder**: left, root, right
 - **preorder**: root, left, right
 - **postorder**: left, right, root



```
void inorder(tree t)
{
    if (t == NULL) return;
    inorder(t->left);
    process(t->data);
    inorder(t->right);
}
```

Recursion vs Iteration

```
void inorder(tree t) {  
    stack s;  
    push(s,t);  
    while (!empty(s)) {  
        curr = top(s);  
        if (curr) {  
            if (!curr->visited) {  
                push(s,curr->left);  
            } else {  
                process(curr->data);  
                pop(s);  
                push(s,curr->right);  
            }  
        }  
    }  
}
```

```
} else {  
    pop(s);  
    if (!empty(s))  
        top(s)->visited = true;  
}  
}  
}
```

```
void inorder(tree t)  
{  
    if (!t) return;  
  
    inorder(t->left);  
    process (t->data);  
    inorder(t->right);  
}
```

*Stack entries use an
extra field – visited*

*** Disclaimer: Code not tested!**